Lab #2.

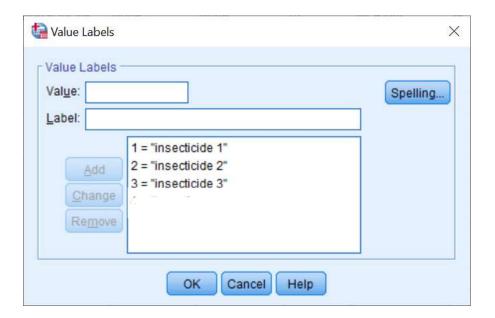
For the Insecticide/Plot example, we need three variables: seedlings (the response variable), insecticide (the treatment variable) and plot (the block variable).

An experiment was conducted to compare the effects of 3 different insecticides on particular variety of string beans. Four different plots were prepared, with each plot subdivided into three rows. A suitable distance was maintained between the rows within a plot. Each row was planted with 100 seeds and then maintained under the insecticide assigned to the row. The insecticides were randomly assigned to the rows within a plot so that each insecticide appeared in one row in all four plots. The response of interest was the number of seedlings that emerged per row. The data is below:

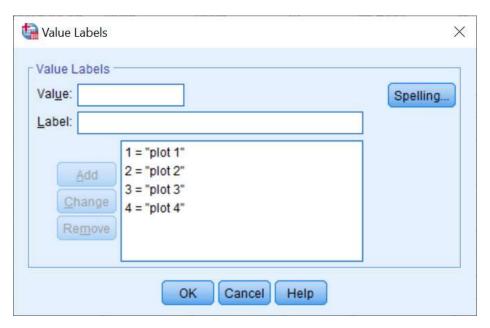
		P	<u>lot</u>		
Insecticide	1	2	3	4	
1	56	49	65	60	
2	84	78	94	93	
3	80	72	83	85	

Enter the name of the variable in the field labelled "Name", in the "Type" keep the default option 'numeric'. Next you can choose the "Width" of your variable and how many decimals it should have under "Decimals" (it is set by default to width=8 and decimals=2). The "Label" and "Values" fields are filled for treatment variable, so skip them for the response variable. The last field that should be filled is "Measure". Since the lifetime is the response variable of quantitative type, set it to 'scale'.

For the factor 1 (i.e. treatment) variable, we repeat: "Name" = insecticide, we have no need for decimals here since the insecticides are numbered 1,2,3. Next we click on "Values" and here we can label/code each insecticide as we wish.



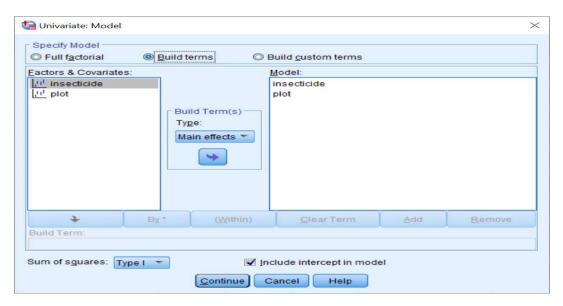
For the factor 2 (i.e. block) variable, we repeat: "Name" = plot, we have no need for decimals here since the plots are numbered 1,2,3,4. Next we click on "Values" and here we can label/code each plot as we wish.



To enter the data, we switch to **Data View** tab and start entering the values.

First, we enter our RBD model. To do so:

Select 'Analyze' \rightarrow 'General Linear Model' \rightarrow 'Univariate'. Then select seedlings as 'Dependent Variable' and insecticide and plot as 'Fixed Factors'. Since this is a one observation per treatment, we do not need interaction, therefore we click "Model" \rightarrow 'Build terms' \rightarrow select 'main effects' under Build terms in the middle and move both your factors into the Model box. Next select 'include the model intercept', if it is not selected.



Click "Continue". To obtain the ANOVA table for our RBD, click "OK".

Between-Subjects Factors

		Value Label	N
insecticide	1	insecticide 1	4
	2	insecticide 2	4
	3	insecticide 3	4
plot	1	plot 1	3
	2	plot 2	3
	3	plot 3	3
	4	plot 4	3

Tests of Between-Subjects Effects

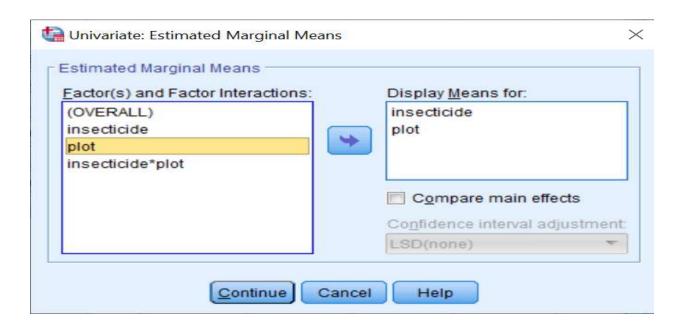
Dependent Variable: seedlings

		Type I Sum of						
	Source	Squares	df	Mean S	Square		F	Sig.
	Corrected Model	2311.417ª	5		462.283		118.030	.000
	Intercept	67350.083	1	6	7350.083	1	7195.766	.000
	insecticide	1925.167	2	MSTr	962.583	FT	<mark>245.766</mark>	.000
	plot	386.250	3	MSB	128.750	FB	32.872	.000
	Error	23.500	6	MSE	<mark>3.917</mark>			
	Total	69685.000	12					
7	Corrected Total	2334.917	11					

a. Squared = .990 (Adjusted R Squared = .982)

NOTE: Corrected Total = Total - Correction for the Mean = TSS

You can also have the means for each factor displayed. To do so, when in dialog box, click on "**EM Means**" and move variables for which you want the means to be displayed in to 'Display Means' box.



Estimated Marginal Means

1. insecticide

Dependent Variable: seedlings

			95% Confidence Interval		
insecticide	Mean	Std. Error	Lower Bound	Upper Bound	
insecticide 1	57.500				
insecticide 2	87.250				
insecticide 3	80.000				

2. plot

Dependent Variable: seedlings

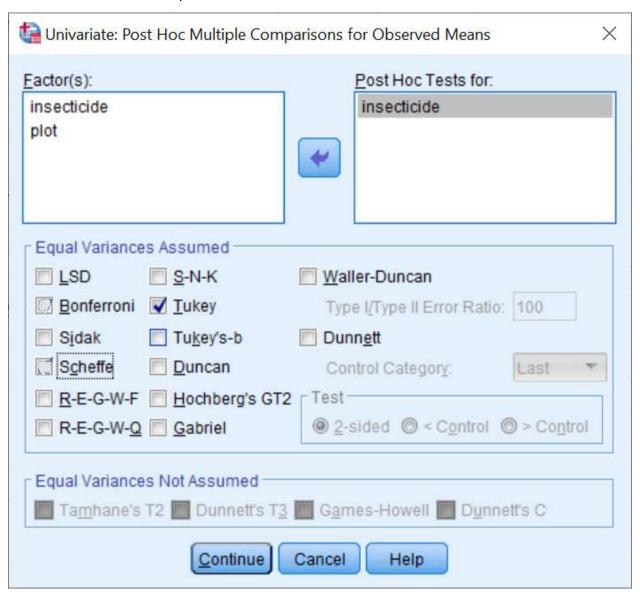
			95% Confidence Interval		
plot	Mean	Std. Error	Lower Bound	Upper Bound	
plot 1	73.333				
plot 2	66.333				
plot 3	80.667				
plot 4	79.333				

<u>Obtaining Simultaneous C.I.'s</u> (i.e. doing Multiple Comparisons) <u>to compare treatment means</u>:

Choose 'Analyze' → 'General Linear Model' → 'Univariate'. Select seedlings as 'Dependent Variable" and insecticide and plot as 'Fixed Factors'. Then select "Options" and you can select what you wish to obtain e.g. if you want means and std. deviations, click on descriptive statistics. To get C.I.'s click on "Post Hoc"

🔚 Univariate: Options	×			
Display				
Descriptive statistics	✓ Homogeneity tests			
Estimates of effect size	Spread vs. level plot			
Observed power	Residual plot			
Parameter estimates	Lack of fit			
Contrast coefficient matrix	General estimable function			
- Heteroskedasticity Tests				
Modified Breusch-Pagan test	F test			
Model	Model			
Breusch-Pagan test	White's test			
Model	12			
Parameter estimates with robust st	tandard errors			
⊚ HC0				
© HC1				
© HC2				
⊕ HC3 ☐				
© HC <u>4</u>				
Significance level .01 Confidence	e intervals are 99.0 %			
<u>C</u> ontinue Cano	cel Help			
il il coal dans	$0.0000 ig \pm 0.9$			
y Congradores	e Devel is \$0.9 L here			
then indicate	x here			

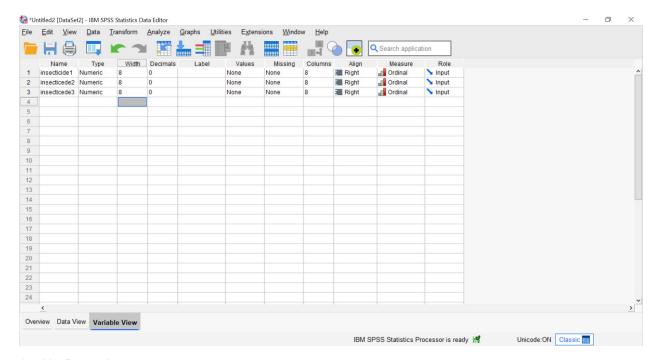
Note, that SPSS does not produce C.I.'s for factors with less than 3 levels.



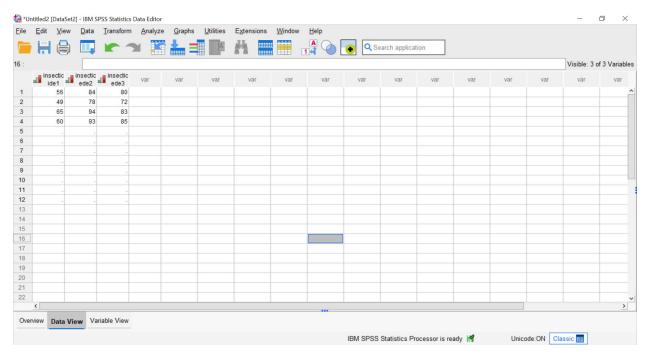
Here, you can choose the methods for Multiple Comparisons that you want to do and change the significance level if it is different than 5% (set by default). We did Tukey's hsd.

Friedman-Rank Test:

Since we are going to compare treatment medians, we need to create 3 new variables (one for each treatment):

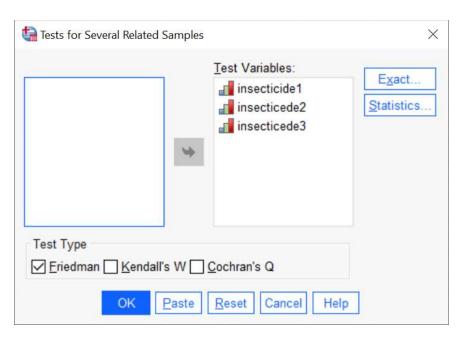


And in Data view:



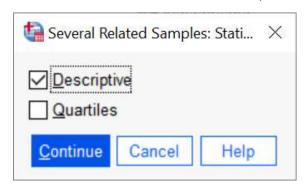
Select 'Analyze' → 'Nonparametric Test' → 'Legacy Dialogs' → 'K related Samples'

Transfer the 3 insecticide variables to the Test Variables: box by using the button or by dragging-and-dropping the variables into the box. You will end up with the following screen:



Make sure that Friedman is selected in the -Test Type- area.

Click on "Statistics" and select "Descriptive" and then click on "Continue".



This will return you back to the Tests for Several Related Samples dialogue box. Click on "OK" to perform Friedman-Rank test.

The results are: Friedman Test

Ranks

1.00	×4 = 12
3.00	x4 = 10
2.00	X4 - X
	3.00

-here N=4
So we need to multiply each, totals
"Mean Rank" by N to obtain rank totals

Test Statistics^a

Test Statistic	:S ^a	· L'ma
N	4	Fr approximation
Chi-Square	8.000	64 16
df	2	
Asymp. Sig.	.018	

a. Friedman Test